# Level 3 Certificate MATHEMATICAL STUDIES 1350/1 

Paper 1
Mark scheme
June 2022
Version: 1.0 Final

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| Q | Answer | Mark | Comments |  |
| :---: | :---: | :---: | :---: | :---: |
| 1(b) | $\left(\frac{129}{345+406+129+162+56+42}\right) \times 80$ <br> or $\frac{129}{1140} \times 80$ <br> or $0.113 \ldots \times 80$ <br> or $129 \times 0.07(0 . .)$ <br> or $[9.03,9.1]$ | M1 | oe eg $\frac{43}{380} \times 80$ or $129 \div(1140 \div 80)$ |  |
|  | 9 with no incorrect method or total seen | A1 |  |  |
|  |  | itional | idance |  |
|  | $1140 \div 129=8.8(\ldots)$ so 9 |  |  | MOAO |
|  | Addition not shown and not totalling 1 |  |  | M0 |
|  | Use of 0.11 leading to 8.8 which round | to 9 |  | M1A0 |
|  | Rounding to 9 from a value not in the | nge [9. | 9.1] can gain max M1 |  |
|  | $129 \div 1140=0.11 \times 80 \text { ans } 9$ <br> No incorrect value seen from range so | ssume | value used | M1A1 |


| Q | Answer | Mark | Comments |  |
| :---: | :---: | :---: | :---: | :---: |
| 2(a) | Both correct values completed March 148585.76 or 148585.77 April 148111.51 or 148111.52 or 148111.53 | B2 | B1 for one correct <br> or <br> B1ft April correct ft from their March value with answer rounded or truncated to 2dp |  |
|  | Additional Guidance |  |  |  |
|  | For the ft for April it must be their March value $\times 1.003-920$ oe |  |  |  |
|  | Spreadsheet values take precedence. If the spreadsheet has not been completed mark the values in the working lines if clear which month they are. |  |  |  |


| Q | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |
| 2(b) | Alternative method 1 |  |  |
|  | $920 \times 6 \text { or } 5520$ <br> or $150000-147158.77 \text { or } 2841.23$ | M1 |  |
|  | $920 \times 6-(150000-147158.77)$ <br> or $147158.77-(150000-920 \times 6)$ | M1dep | Oe |
|  | 2678.77 | A1 |  |
|  | Alternative method 2 |  |  |
|  | At least 4 from <br> $150000 \times 0.003$ or 450 <br> and <br> $149530 \times 0.003$ or 448.59 <br> and <br> $149058.59 \times 0.003$ or [447.17, <br> 447.18] <br> and <br> their $148585.77 \times 0.003$ or [445.75, 445.76] <br> and <br> their $148111.52 \times 0.003$ or [444.33, 444.34] | M1 | ft their March and April balances from part 2(a) |



| Q | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |
| 2(c) | $=B 8 / B 2^{\star} 100$ | B 1 |  |


| Q | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |
| 3(a) | Lowest 5 and highest 30 | B1 |  |
|  | Lower quartile 13 and upper quartile 28 | B1 |  |
|  | Median 22 | B1 |  |
|  | Additional Guidance |  |  |
|  | In order the five values are 5, 13, 22, |  | B3 |


| Q | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |
| 3(b) | Both fully completed box and whiske plots drawn accurately with at least one labelled | B3ft | $\pm 1 / 2 \mathrm{sq}$ <br> ft all their values for the Mathematics marks <br> B2 one fully completed box and whisker plot drawn accurately and labelled or both diagrams correct but no labels <br> B1 one box and whisker plot fully correct with no labels <br> or <br> both boxes (median and quartiles box) correctly drawn (no label needed) |
|  | Additional Guidance |  |  |
|  | Ignore whiskers extended into box <br> Whiskers do not need end lines <br> Any height of box is allowed <br> If boxes overlap mark to scheme if clear which is which |  |  |





| Q | Answer | Mark | Comments |  |
| :---: | :---: | :---: | :---: | :---: |
| 4(b) | 1.024 or 1.031 | M1 | may be implied |  |
|  | $1.024^{2}$ and $1.031^{5}$ | M1dep | may be implied |  |
|  | $1.024^{2} \times 1.031^{5} \text { or }[1.22,1.222]$ <br> or any amount $\times 1.024^{2} \times 1.031^{5}$ | M1 | oe <br> eg (£) $100 \times 1.024^{2} \times 1.031^{5}=122 .(1 \ldots)$ <br> oe eg year on year calculations <br> [1.22, 1.222] scores M3 |  |
|  | [22, 22.2] (\%) | A1 |  |  |
|  | Additional Guidance |  |  |  |
|  | Calculations worked out separately must be to at least 3dp eg $1.024^{2}=1.049,1.031^{5}=1.165$ (both have been rounded to 3dp) $1.049 \times 1.165=1.222$ so $22.2 \%$ |  |  | M1M1M1A1 |
|  | Year on year can imply M3 eg uses a starting amount <br> Yr 1 2.4\% calculated and added on <br> Yr 2 works out 2.4 \% of new total and adds, <br> Yr 3 works out $3.1 \%$ of end of Yr 2 total and adds on etc for years 4,5,6 and 7 years with $3.1 \%$ compounded each year Correct method scores M3 even with arithmetical error(s) |  |  |  |


| Q | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |
| 5 | Alternative method 1 |  |  |
|  | Makes an assumption about number of loads of washing per week/month | B1 | allow 3 to 7 per week allow 12 to 30 per month |
|  | Makes an assumption about the number of hours one cycle takes | B1 | allow 1 to 3 hours may be a decimal |
|  | Their number of loads per week $\times$ their hours per load $\times$ weeks in a year <br> or <br> Their number of loads per month $\times$ their hours per load $\times$ months in a year | M1 | allow 48 to 52 for weeks in a year allow 11 or 12 months |
|  | Accurate answer for their calculation | A1 | allow decimal answers |
|  | Alternative method 2 |  |  |
|  | Makes an assumption about number of hours per week or month a washing machine is on for an average household | B2 | allow 3 to 21 per week <br> or 12 to 90 per month <br> or <br> B1 makes an assumption about number of days a week or month washing machine is on for an average household <br> allow 3 to 7 per week <br> allow 12 to 30 per month <br> or <br> makes an assumption about number of hours a day washing machine is on <br> allow 1 to 3 hours |
|  | Their days per week $\times$ hours per day $\times$ weeks in a year <br> or <br> their days per month $\times$ hours per month $\times$ in a year <br> or <br> their days per year $\times$ hours per day | M1 | allow 48 to 52 for weeks in a year allow 336 to 365 days per year |
|  | Accurate answer for their calculation | A1 | allow decimal answers |


| cont'd | Additional Guidance <br>  <br> For the final 2 marks they may use numbers outside the allowed ranges for the <br> Example $14 \times 4 \times 52=2912$ | B0B0M1A1 |
| :---: | :--- | :--- |


| Q | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |
| 6 | Alternative method 1-calculating tax and NI annually |  |  |
|  | $\begin{aligned} & 49000 \times 0.92 \\ & \text { or } \\ & 49000-(49000 \times 0.08) \\ & \text { or } \\ & 45080 \end{aligned}$ | M1 | oe <br> only award if used for at least one of tax or NI |
|  | $\begin{aligned} & \text { (their } 45080-12570) \times 0.2 \\ & \text { or } \\ & 32510 \times 0.2 \\ & \text { or } \\ & 6502 \end{aligned}$ | M1 | oe standard rate of tax per year their 45080 can be 49000 <br> 6502 is M2 |
|  | $\begin{aligned} & \text { (their } 45080-9568) \times 0.12 \\ & \text { or } \\ & 35512 \times 0.12 \\ & \text { or } 4261.44 \end{aligned}$ | M1 | oe <br> allow 9568.01 <br> basic rate of NI per year <br> their 45080 can be 49000 |
|  | their 6502 + their 4261.44 or $10763.44$ | M1 | total tax and NI per year may be implied 10763.44 scores M4 |
|  | their 45080 - their 10763.44 | M1 | their 45080 can be 49000 but must be their gross salary with or without their pension deducted <br> ignore subtraction of their pension here if 49000 used as their 45080 |
|  | 34316.56 or 34316.57 | A1 | annual net pay |
|  | $\begin{aligned} & \text { (their } 34316.56 \div 12) \times \frac{2}{5} \text { or } 1143 .(. .) \\ & \text { or } \\ & (1050 \times 12) \div \text { their } 34316.56 \\ & \text { or } 0.36(7 \ldots) \text { or } 0.37 \end{aligned}$ | M1 | oe <br> oe percentage |
|  | 1143.(..) and Yes or $0.36(7 \ldots)$ and 0.4 and Yes or | A1ft | ft their annual net pay <br> oe percentages or fractions with the same denominator |



| $\begin{gathered} 6 \\ \text { cont'd } \end{gathered}$ | $2859.67 \text { or } 2859.68$ <br> or $34316.08$ | A1 | monthly net pay <br> annual net pay |
| :---: | :---: | :---: | :---: |
|  | their $2859.67 \times \frac{2}{5}$ <br> or <br> (their $34316.08 \div 12) \times \frac{2}{5}$ <br> or <br> 1143.(...) <br> or <br> $1050 \div$ their $2859.67(\times 100)$ <br> or <br> $0.36(7 \ldots$ ) or 0.37 | M1 | oe percentage |
|  | 1143.(...) and Yes <br> or <br> $0.36(\ldots)$ and 0.4 and Yes | A1ft | ft their monthly or annual net pay <br> allow 0.37 <br> oe percentages or fractions with the same denominator |

Additional Guidance is on the next page

| $\begin{gathered} 6 \\ \text { cont'd } \end{gathered}$ | Additional Guidance |  |
| :---: | :---: | :---: |
|  | Note that calculating monthly gives a slightly different net pay per year due to government rounding of monthly figures <br> The final answer is the same for monthly or annual calculations |  |
|  | If tax is calculated annually but NI monthly then award the first 3 marks for the correct method for their time frame <br> eg monthly tax $=541.83$ and annual $\mathrm{NI}=4261.44$ gains M1M1 on Alt 2 for tax and the $3^{\text {rd }} \mathrm{M} 1$ on Alt 1 for NI. For the $4^{\text {th }}$ mark the values must be for a consistent time period |  |
|  | If the $8 \%$ deduction for pension is not deducted then a maximum 6 marks can be scored on either Alt method <br> eg following Alt 1 annually $\begin{aligned} & (49000-12570) \times 0.2=7286 \\ & (49000-9568) \times 0.12=4731.84 \\ & 49000-(7286+4731.84)=36982.16 \\ & (36982.16 \div 12) \times \frac{2}{5} \\ & 1232.74 \text { and yes } \end{aligned}$ | M0M1 <br> M1 <br> M1M1A0 <br> M1 <br> A1ft |
|  | If the $8 \%$ deduction is seen (eg 45080) but then not used at all withhold the first mark |  |


| Q | Answer | Mark | Comments |  |
| :---: | :---: | :---: | :---: | :---: |
| 7(a) | $\begin{aligned} & {[(140 \times 12)+(180 \times 23)+(220 \times 45)} \\ & +(260 \times 32)+(300 \times 18)] \div 130 \end{aligned}$ <br> or $\begin{aligned} & (1680+4140+9900+8320+5400) \\ & \div 130 \end{aligned}$ <br> or $29440 \div 130$ | M1 | condone one incorrect midpoint or total |  |
|  | 226.(46...) or 226.5 | A1 |  |  |
|  | $\frac{\text { their } 226.46 \ldots-193}{193} \times 100 \text { or } 0.17 \ldots$ <br> or <br> $193 \times 1.15$ or 221.95 or 222 <br> or <br> $193 \times 0.15$ and their $226.46-193$ or <br> 28.(95) and 33.(46) | M1 | accept 29 for 28.(95) |  |
|  | $17 \%$ and Yes <br> or <br> 226.(...) and 221. 95 and Yes or <br> 28.(95) and 33.(46) and Yes | A1ft | ft their mean <br> accept 222 for 221.95 <br> accept 29 for 28.(95) |  |
|  | Additional Guidance |  |  |  |
|  | Although question says You must show your working a correct mean without working - presume from calculator stats functions |  |  | M1A1 |
|  | Yes may be implied eg the advert is justified |  |  |  |
|  | Attempt at median cannot gain the first 2 marks but may be awarded the M1A1ft |  |  |  |
|  | If their mean is less than 193 then they can state No it has decreased for the 2nd M1A1 <br> Any percentage calculation used must however be correct |  |  |  |




| Q | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |
| 8(b) | $\begin{aligned} & 129 \div[290,300] \times[190,200] \\ & \text { or } \\ & 129 \div[2.9,3] \times[1.9,2.0] \\ & \text { or } \\ & {[0.43,0.445] \times[190,200]} \end{aligned}$ | M1 | oe <br> implies reading of [290, 300] |
|  | [81.7, 89] with correct readings seen | A1 | readings may be on the graph |
|  | Additional Guidance |  |  |
|  | $129 \div[290,300]$ may be seen as a de |  |  |


| Q | Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |
| 9(a) | Alternative method 1 |  |  |
|  | Makes an assumption about number of hours factory is open per day or number of hours production per day eg 12-1.5 or 10.5 | B1 | 8 to 18 <br> or production hours 5 to 17 |
|  | Makes an assumption about number of sweets produced per minute eg 14500 | B1 | must be [12000, 16000] <br> implied by being used in a calculation |
|  | Volume of sweet $\begin{aligned} & \frac{4}{3} \times \pi \times 0.8^{3} \text { or }[2.1,2.15] \text { or } \\ & {[0.68,0.63] \pi} \end{aligned}$ | M1 | only allow rounding to 2 if method seen |
|  | Volume of cylindrical tube $\pi \times 2^{2} \times 10 \text { or }[125,126] \text { or } 40 \pi$ | M1 |  |
|  | Assumption of waste space deducted | B1 | allow $20 \%$ to $60 \%$ wasted space may be implied |
|  | Divides their tube volume by their sweet volume with deduction for wastage <br> eg waste stated as $40 \%$ <br> $125.7 \div 2.14 \times 0.6$ or 35 <br> eg <br> $125.7 \div 2.14=58$ sweets <br> with wastage say 40 sweets | M1 | number of sweets per tube <br> deduction of wastage may be applied to volume of the cylinder first <br> wastage may be a number of sweets deducted. If this fits the percentage range then award the previous B1 |
|  | their production hours $\times 60 \times$ their number of sweets per minute <br> eg $10.5 \times 60 \times 14500=9135000$ or <br> their number of sweets per minute $\div$ their number of sweets per tube <br> eg $14500 \div 35=414$ | M1 | calculates number of sweets per day production hours $=$ factory hours $-[1,3]$ follow their assumption for number of hours open <br> allow max production hours of 23 <br> or <br> calculates number of tubes per minute number of sweets per tube must be an integer |


| $\begin{gathered} 9 a \\ \text { cont'd } \end{gathered}$ | their sweets per day $\div$ their sweets per tube $\text { eg } 9135000 \div 35$ <br> or <br> their tubes per minute $\times$ their production hours $\times 60$ <br> eg $414 \times 10.5 \times 60$ | M1 | number of sweets per tube must be an integer <br> production hours $=$ factory hours $-[1,3]$ <br> follow their assumption for number of hours open <br> allow max production hours of 23 |
| :---: | :---: | :---: | :---: |
|  | Correct total for their assumptions and integer number of sweets in a tube $\text { eg } 261000$ | A1ft | ft their assumptions and volumes with final two method marks scored answer cannot be a decimal it may be rounded suitably eg to nearest 10,100 , or 1000 |

Mark scheme and Additional Guidance continue on the following pages

|  | Alternative method 2 |  |  |
| :---: | :---: | :---: | :---: |
|  | Makes an assumption about number of hours factory is open per day or number of hours production per day eg 12-1.5 or 10.5 | B1 | 8 to18 <br> or production hours 5 to 17 |
|  | Makes an assumption about number of sweets produced per minute eg 14500 | B1 | must be [12000, 16000] implied by being used in a calculation |
|  | Makes an assumption about number of sweets per layer in tube | B1 | allow only 3 , 4 or 5 |
|  | Minimum layers of sweets $10 \div 1.6 \text { or } 6.25$ | M1 |  |
| $9(a)$ <br> cont'd | Rounds up their 6.25 to 7 to assume overlapping layers or rounds down to 6 complete layers | M1dep | dep on previous M1 |
|  | their sweets per layer $\times$ their layers per tube eg $4 \times 8$ or 32 | M1 | number of sweets per tube any values allowed |
|  | their production hours $\times 60 \times$ their number of sweets per minute $\text { eg } 10.5 \times 60 \times 14500=9135000$ or <br> their number of sweets per minute $\div$ their number of sweets per tube $\text { eg } 14500 \div 32=453$ | M1 | calculates number of sweets per day production hours $=$ factory hours $-[1,3]$ follow their assumption for number of hours open <br> allow max production hours of 23 or calculates number of tubes per minute number of sweets per tube must be an integer |
|  | their sweets per day $\div$ their sweets per tube $\text { eg } 9135000 \div 32$ <br> or | M1 | number of sweets per tube must be an integer <br> production hours $=$ factory hours $-[1,3]$ |


|  | their tubes per minute $\times$ their <br> production hours $\times 60$ <br> eg $453 \times 10.5 \times 60$ | follow their assumption for number of hours <br> open <br> allow max production hours of 23 |
| :--- | :--- | :--- | :--- |
|  | Correct total for their assumptions <br> and integer number of sweets in a <br> tube <br> eg 285470 | A1ft their assumptions and volumes with final <br> two method marks scored <br> answer cannot be a decimal <br> it may be rounded suitably eg to nearest <br> 10,100, or 1000 |

Additional Guidance is on the next page

| $\begin{gathered} 9 a \\ \text { cont'd } \end{gathered}$ | Additional Guidance |  |
| :---: | :---: | :---: |
|  | Note that not all the method marks have to be awarded for the A1 to be awarded but the final two method marks must be awarded <br> eg an incorrect volume will lose the method mark but the A1ft may still be awarded for a correct total using their volume |  |
|  | Allow 1 to 3 hours for the time before production starts |  |
|  | Working out the number of sweets per day using their production hours but then adding back on a number of sweets for the hours before production starts loses the mark for their production hours $\times 60 \times$ their number of sweets per minute ( $7^{\text {th }}$ or $8^{\text {th }}$ mark depending on their approach order). <br> eg states factory open 12 hours a day. Does $12-1.5=10.5$ hours production <br> Then $10.5 \times 60 \times 14000=8820000$ (normally awarded M1) <br> $8820000+21000=8841000$ sweets for 12 hours (the M1 is now not awarded/is retracted) |  |
|  | If their answer to volume $\div$ volume is a decimal, then rounding that value up or down to an integer is not to be counted as wastage eg $125.66 \div 2.114=58.7$ so 58 sweets. This is not to be counted as wastage. |  |
|  | If wastage is counted as a number of sweets allow rounding to integer even if this takes their answer out of tolerance <br> eg calculates 58 sweets for full volume uses $60 \%$ wastage $=34.8$ allow 35 or 34 subtracted for wastage |  |
|  | Wastage can be considered by reducing the volume of the cylinder or increasing the volume of the sweet <br> eg sweet volume $=2.14$, makes it 3 to account for wastage/space around oe This would be awarded the B1 for wastage as the increase is within the wastage tolerance |  |
|  | Those who multiply the number of sweets per day by the volume of one sweet are treating the volume as one entity and therefore not using an integer number of sweets. This leads to an incorrect number of tubes. They cannot be awarded the final M1 or the A1 <br> eg factory open 12 hours a day. $12-1.5=10.5$ hours production <br> Assume 15000 sweets per minute $10.5 \times 60 \times 15000=9450000$ <br> Volume of sweet $=2.14$ $9450000 \times 2.14=20223000 \mathrm{~cm}^{3}$ <br> Vol of cylinder $=126 \mathrm{~cm}^{3}$ <br> Assume $25 \%$ wastage $126 \times 0.75=94.5 \mathrm{~cm}^{3}$ $20223000 \div 94.5=214000$ | B1B1M1M1 B1M1M1M0 A0 |


| Q | Answer | Mark | Comments |  |
| :---: | :---: | :---: | :---: | :---: |
| 9(b) | Suitable comment <br> eg <br> Number of hours per day may be lower so the number of sweets/tubes would be lower <br> or <br> may produce more/less sweets per minute so more/ less tubes would be needed <br> or <br> amount/percentage wastage may be higher so less tubes would be filled | B1 | oe must state how the answer is affected |  |
|  | Additional Guidance |  |  |  |
|  | Just stating that an assumed value may be different is insufficient eg there may be more sweets produced per minute |  |  | B0 |
|  | They cannot comment about changing the size of the sweet/size of the tube |  |  |  |


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